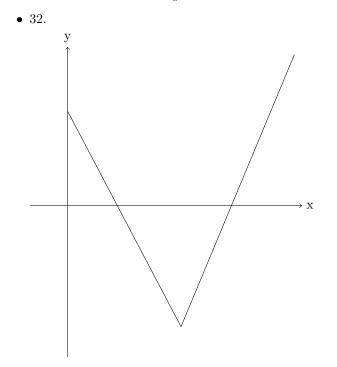
• 29. Conver kilometers to meters \rightarrow 23.5 km = 23,500 m

$$v_{av} = \frac{\delta x}{\delta t} = \frac{23,500}{150} = 156.67 \frac{m}{s} \tag{1}$$

Speed of sound is $\sim 312 \frac{m}{s}$ twice compared to this.



• 48(a)

$$x(t) = x_o + v_i t + \frac{1}{2}at^2$$
(2)

$$5 = 0 + 2t + 3t^2 \tag{3}$$

$$t_1 = -1.6s, t_2 = 1s \tag{4}$$

48(b)

$$v(t) = v_o + at. \rightarrow v(t = 1) = 2 + 6(1) = 8\frac{m}{s}$$
 (5)

• 53.
$$x_o = 0$$
, $a = 2.40 \frac{m}{s^2}$, $t = 12s$

(a)
$$x(t) = x_o + v_i t + \frac{1}{2}at^2 \rightarrow x(t = 12) = 0 + 0(12) + \frac{1}{2}(2.40)12^2 = 172.8m$$
 (6)
(b) $v(t = 12) = 0 + 2.4(12) = 28.8\frac{m}{s}$ (7)

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• 70. $v_0 = 15 \frac{m}{s}$

(b)
$$v(t) = 0 \to t = \frac{0 - 15}{-9.8} = 1.53s$$
 (8)

(c)
$$x(t = 1.53) = 0 + 15(1.53) - 0.5(9.8)(1.53)^2 = 11.48m$$
 (9)

TIme in air for dolphin is $2 \times 1.53 = 3.06s$

• 90.
$$72\frac{km}{h} = 20\frac{m}{s} = v_o$$
, $x_o = 0$

(a)
$$x(t=2) = 50 \to a = 5\frac{m}{s^2}$$
 (10)

(b)
$$v(t=2) = 30\frac{m}{s}$$
 (11)

- 94. Speed of truck relative to car is $v_{rel} = 97 80 = 17 \frac{km}{h} = 4.72 \frac{m}{s}$. For truck's back to be even with car's front truck's front has to cover 13 m of distance which will take $\frac{13}{4.72}$ seconds
- 114. $v_o = 11.5 \frac{m}{s}$, $a = 0.5 \frac{m}{s}$, t = 7s

(a)
$$v(t=7) = 15\frac{m}{s}$$
 (12)

(b)
$$x(t=7) = 92.75m$$
 (13)

Distance left 300-92.75=207.25m. Time taken to cover it is $\frac{207.25}{15}=13.81s$. Otherwise time taken without accelerating is $\frac{300}{11.5}=26.086s$ which implies that she saved [26.086-(7+13.81)]=5.27s

(c) Second cyclist had already covered 5m so she covered 295m at $11.8\frac{m}{s}$ which takes 25 seconds. Difference between finish times is thus 25-20.81 = 4.19 seconds.

(d) Given the time difference of 4.19 seconds we know that second cyclist travelled at $11.8\frac{m}{s}$ for 4.19 seconds to finish line which means she was $11.8 \times 4.19 = 49.442m$ behind she winner reached finish line.

1 Additional Problems

• Radius of black hole: $r = [L], m = [M], c = \frac{[L]}{[T]}, G = \frac{[L]^3}{[T]^2[M]}$ $\implies r = \frac{GM}{c^2}$

For sun to be black hole with mass $1.989 \times 10^{30} kg$ radius r = 1.47 km

• Deep water-waves $v = \frac{[L]}{[T]}, \lambda = [L], \rho = \frac{[M]}{[L]^3}, g = \frac{[L]}{[T^2]}$ $\implies v = \sqrt{g\lambda}$

- Motorcyclist and police officer
 - a. $10\frac{m}{s} = 22.37mph$ b. From graph t = 5s

 - c. Slope of velocity-time graph $a = 2\frac{m}{s^2}$ d. Distance covered by motorcyclist d = 10(5) = 50m
 - e. Motorcyclist cover 100m in 10 seconds while using x(t = 10) for officer we have distance covered 100m

f. Yes officer does catch up with motorcyclist when they have covered the same distance which happens at t = 10s.

